# Natural Language Processing with Deep Learning

# CS224N/Ling284



Lecture 9: Recap and Fancy Recurrent Neural Networks for Machine Translation

Christopher Manning and Richard Socher

#### **Overview**

Recap of most important concepts & equations

- Machine translation
- Fancy RNN Models tackling MT:
  - Gated Recurrent Units by Cho et al. (2014)
- Advanced, cutting edge, blast from the past Long-Short-Term-Memories by Hochreiter and Schmidhuber (1997)

#### **Recap of most important concepts**

Word2Vec 
$$J_t(\theta) = \log \sigma \left( u_o^T v_c \right) + \sum_{j \sim P(w)} \left[ \log \sigma \left( -u_j^T v_c \right) \right]$$

Glove 
$$J(\theta) = \frac{1}{2} \sum_{i,j=1}^{W} f(P_{ij}) (u_i^T v_j - \log P_{ij})^2$$

Nnet & Max-margin 
$$s = U^T f(Wx + b)$$
  
$$J = \max(0, 1 - s + s_c)$$

#### **Recap of most important concepts**

Multilayer Nnet & Backprop

$$\begin{array}{rcl} x & = & z^{(1)} = a^{(1)} \\ z^{(2)} & = & W^{(1)}x + b^{(1)} \\ a^{(2)} & = & f\left(z^{(2)}\right) \\ z^{(3)} & = & W^{(2)}a^{(2)} + b^{(2)} \\ a^{(3)} & = & f\left(z^{(3)}\right) \\ s & = & U^{T}a^{(3)} \end{array}$$

$$\delta^{(l)} = \left( (W^{(l)})^T \delta^{(l+1)} \right) \circ f'(z^{(l)}),$$

$$\frac{\partial}{\partial W^{(l)}} E_R = \delta^{(l+1)} (a^{(l)})^T + \lambda W^{(l)}$$

#### **Recap of most important concepts**

**Recurrent Neural Networks** 

$$h_{t} = \sigma \left( W^{(hh)} h_{t-1} + W^{(hx)} x_{[t]} \right)$$
$$\hat{y}_{t} = \operatorname{softmax} \left( W^{(S)} h_{t} \right)$$

**Cross Entropy Error** 

$$J^{(t)}(\theta) = -\sum_{j=1}^{|v|} y_{t,j} \log \hat{y}_{t,j}$$

 $|\mathbf{T}Z|$ 

Mini-batched SGD

$$\theta^{new} = \theta^{old} - \alpha \nabla_{\theta} J_{t:t+B}(\theta)$$

# **Machine Translation**

- Methods are statistical
- Use parallel corpora
  - European Parliament
- First parallel corpus:
  - Rosetta Stone  $\rightarrow$
- Traditional systems are very complex



Picture from Wikipedia

#### **Current statistical machine translation systems**

- Source language f, e.g. French
- Target language e, e.g. English
- Probabilistic formulation (using Bayes rule)

 $\hat{e} = \operatorname{argmax}_{e} p(e|f) = \operatorname{argmax}_{e} p(f|e) p(e)$ 

- Translation model p(f|e) trained on parallel corpus
- Language model p(e) trained on English only corpus (lots, free!)



Goal: know which word or phrases in source language would translate to what words or phrases in target language? → Hard already!



Alignment examples from Chris Manning/CS224n



Really hard :/

The — Le balance — — reste was - appartenait the territory • of -🗕 aux the aboriginal — , autochtones people many-to-one alignments





- We could spend an entire lecture on alignment models
- Not only single words but could use phrases, syntax
- Then consider reordering of translated phrases



Example from Philipp Koehn

## After many steps

Each phrase in source language has many possible translations resulting in large search space:

### **Translation Options**



# **Decode: Search for best of many hypotheses**

Hard search problem that also includes language model



# **Traditional MT**

- Skipped hundreds of important details
- **A lot** of human feature engineering
- Very complex systems

 Many different, independent machine learning problems

# **Deep learning to the rescue! ... ?**

Maybe, we could translate directly with an RNN?



#### **MT with RNNs – Simplest Model**

Encoder: 
$$h_t = \phi(h_{t-1}, x_t) = f\left(W^{(hh)}h_{t-1} + W^{(hx)}x_t\right)$$
  
Decoder:  $h_t = \phi(h_{t-1}) = f\left(W^{(hh)}h_{t-1}\right)$   
 $y_t = softmax\left(W^{(S)}h_t\right)$ 

Minimize cross entropy error for all target words conditioned on source words

$$\max_{\theta} \frac{1}{N} \sum_{n=1}^{N} \log p_{\theta}(y^{(n)} | x^{(n)})$$

It's not quite that simple ;)

## **RNN Translation Model Extensions**

#### 1. Train different RNN weights for encoding and decoding



#### **RNN Translation Model Extensions**

Notation: Each input of  $\phi$  has its own linear transformation matrix. Simple:  $h_t = \phi(h_{t-1}) = f(W^{(hh)}h_{t-1})$ 

- 2. Compute every hidden state in decoder from
  - Previous hidden state (standard)
  - Last hidden vector of encoder c=h<sub>T</sub>
  - Previous predicted output word y<sub>t-1</sub>

$$h_{D,t} = \phi_D(h_{t-1}, c, y_{t-1})$$



Cho et al. 2014

## **Different picture, same idea**



## **RNN Translation Model Extensions**

- **3**. Train stacked/deep RNNs with multiple layers
- Potentially train bidirectional encoder



5. Train input sequence in reverse order for simple optimization problem: Instead of A B C  $\rightarrow$  X Y, train with C B A  $\rightarrow$  X Y

# 6. Main Improvement: Better Units

- More complex hidden unit computation in recurrence!
- Gated Recurrent Units (GRU) introduced by Cho et al. 2014 (see reading list)
- Main ideas:
  - keep around memories to capture long distance dependencies
  - allow error messages to flow at different strengths depending on the inputs

#### GRUs

- Standard RNN computes hidden layer at next time step directly:  $h_t = f\left(W^{(hh)}h_{t-1} + W^{(hx)}x_t\right)$
- GRU first computes an update gate (another layer) based on current input word vector and hidden state

$$z_t = \sigma \left( W^{(z)} x_t + U^{(z)} h_{t-1} \right)$$

Compute reset gate similarly but with different weights

$$r_t = \sigma \left( W^{(r)} x_t + U^{(r)} h_{t-1} \right)$$

#### GRUs

- Update gate  $z_t = \sigma \left( W^{(z)} x_t + U^{(z)} h_{t-1} \right)$
- Reset gate  $r_t = \sigma \left( W^{(r)} x_t + U^{(r)} h_{t-1} \right)$
- New memory content:  $\tilde{h}_t = \tanh(Wx_t + r_t \circ Uh_{t-1})$ If reset gate unit is ~0, then this ignores previous memory and only stores the new word information
- Final memory at time step combines current and previous time steps:  $h_t = z_t \circ h_{t-1} + (1 z_t) \circ \tilde{h}_t$

#### **Attempt at a clean illustration**



$$z_t = \sigma \left( W^{(z)} x_t + U^{(z)} h_{t-1} \right)$$
$$r_t = \sigma \left( W^{(r)} x_t + U^{(r)} h_{t-1} \right)$$
$$\tilde{h}_t = \tanh \left( W x_t + r_t \circ U h_{t-1} \right)$$
$$h_t = z_t \circ h_{t-1} + (1 - z_t) \circ \tilde{h}_t$$

# **GRU** intuition

 If reset is close to 0, ignore previous hidden state
 → Allows model to drop information that is irrelevant in the future

$$z_t = \sigma \left( W^{(z)} x_t + U^{(z)} h_{t-1} \right)$$
$$r_t = \sigma \left( W^{(r)} x_t + U^{(r)} h_{t-1} \right)$$
$$\tilde{h}_t = \tanh \left( W x_t + r_t \circ U h_{t-1} \right)$$
$$h_t = z_t \circ h_{t-1} + (1 - z_t) \circ \tilde{h}_t$$

- Update gate z controls how much of past state should matter now.
  - If z close to 1, then we can copy information in that unit through many time steps! Less vanishing gradient!
- Units with short-term dependencies often have reset gates very active

# **GRU** intuition

 Units with long term dependencies have active update gates z

$$z_t = \sigma \left( W^{(z)} x_t + U^{(z)} h_{t-1} \right)$$
$$r_t = \sigma \left( W^{(r)} x_t + U^{(r)} h_{t-1} \right)$$
$$\tilde{h}_t = \tanh \left( W x_t + r_t \circ U h_{t-1} \right)$$

• Illustration:



$$h_t = z_t \circ h_{t-1} + (1 - z_t) \circ \tilde{h}_t$$

• Derivative of  $\frac{\partial}{\partial x_1} x_1 x_2$  ?  $\rightarrow$  rest is same chain rule, but implement with **modularization** or automatic differentiation

## Long-short-term-memories (LSTMs)

- We can make the units even more complex
- Allow each time step to modify
  - Input gate (current cell matters)  $i_t = \sigma \left( W^{(i)} x_t + U^{(i)} h_{t-1} \right)$
  - Forget (gate 0, forget past)
  - Output (how much cell is exposed)  $o_t = \sigma \left( W^{(o)} x_t + U^{(o)} h_{t-1} \right)$
  - New memory cell
- Final memory cell:
- Final hidden state:

 $c_t = f_t \circ c_{t-1} + i_t \circ \tilde{c}_t$ 

 $f_t = \sigma \left( W^{(f)} x_t + U^{(f)} h_{t-1} \right)$ 

 $\tilde{c}_t = \tanh\left(W^{(c)}x_t + U^{(c)}h_{t-1}\right)$ 

 $h_t = o_t \circ \tanh(c_t)$ 

#### **Some visualizations**



By Chris Ola: http://colah.github.io/posts/2015-08-Understanding-LSTMs/

# Most illustrations a bit overwhelming ;)



http://people.idsia.ch/~juergen/lstm/sld017.htm



Long Short-Term Memory by Hochreiter and Schmidhuber (1997)



http://deeplearning.net/tutorial/lstm.html

Intuition: memory cells can keep information intact, unless inputs makes them forget it or overwrite it with new input. Cell can decide to output this information or just store it

# LSTMs are currently very hip!

 En vogue default model for most sequence labeling tasks

 Very powerful, especially when stacked and made even deeper (each hidden layer is already computed by a deep internal network)

• Most useful if you have lots and lots of data

#### **Deep LSTMs compared to traditional systems 2015**

Method	test BLEU score (ntst14)
Bahdanau et al. [2]	28.45
Baseline System [29]	33.30
Single forward LSTM, beam size 12	26.17
Single reversed LSTM, beam size 12	30.59
Ensemble of 5 reversed LSTMs, beam size 1	33.00
Ensemble of 2 reversed LSTMs, beam size 12	33.27
Ensemble of 5 reversed LSTMs, beam size 2	34.50
Ensemble of 5 reversed LSTMs, beam size 12	34.81

Table 1: The performance of the LSTM on WMT'14 English to French test set (ntst14). Note that an ensemble of 5 LSTMs with a beam of size 2 is cheaper than of a single LSTM with a beam of size 12.

Method	test BLEU score (ntst14)
Baseline System [29]	33.30
Cho et al. [5]	34.54
Best WMT'14 result [9]	37.0
Rescoring the baseline 1000-best with a single forward LSTM	35.61
Rescoring the baseline 1000-best with a single reversed LSTM	35.85
Rescoring the baseline 1000-best with an ensemble of 5 reversed LSTMs	36.5
Oracle Rescoring of the Baseline 1000-best lists	~45

Sequence to Sequence Learning by Sutskever et al. 2014

#### **Deep LSTMs (with a lot more tweaks)**

#### WMT 2016 competition results from last year

#### **Scored Systems**

System Submi		System Notes	Constraint	Run Notes	<u>BLEU</u>
uedin-nmt-ensemble (Details)	rsennrich University of Edinburgh	BPE neural MT system with monolingual training data (back- translated). ensemble of 4, reranked with right- to-left model.	yes		34.8
metamind-ensemble (Details)	jekbradbury Salesforce MetaMind	Neural MT system based on Luong 2015 and Sennrich 2015, using Morfessor for subword splitting, with back-translated monolingual augmentation. Ensemble of 3 checkpoints from one run plus 1 Y-LSTM (see entry).	yes		32.8
uedin-nmt-single <i>(Details)</i>	rsennrich University of Edinburgh	BPE neural MT system with monolingual training data (back- translated). single model. (contrastive)	yes		32.2

<u>KIT</u> ( <i>Details</i> )	niehues <i>KIT</i>	Phrase-based MT with NMT in rescoring	yes		29.7
uedin-pbt-wmt16-en-de (Details)	Matthias Huck University of Edinburgh	Phrase-based Moses	yes		29.1
Moses Phrase-Based (Details)	jhu-smt Johns Hopkins University	Phrase-based model, word clusters for all model components (LM, OSM, LR, sparse features), neural network joint model, large cc LM	yes	[26-7]	29.0
uedin-pbt-wmt16-en-de-contrastive (Details)	Matthias Huck University of Edinburgh	Phrase-based Moses (contrastive, 2015 system)	yes		29.0

### **Deep LSTM for Machine Translation**

#### PCA of vectors from last time step hidden layer



Sequence to Sequence Learning by Sutskever et al. 2014

### **Further Improvements: More Gates!**

Gated Feedback Recurrent Neural Networks, Chung et al. 2015



(a) Conventional stacked RNN

(b) Gated Feedback RNN

# A recent improvement to RNNs

# Problem with Softmax: No Zero Shot Word Predictions

- Answers can only be predicted if they were seen during training and part of the softmax
- But it's natural to learn new words in an active conversation and systems should be able to pick them up

#### **Tackling Obstacle by Predicting Unseen Words**

• Idea: Mixture Model of softmax and pointers:



 $p(\text{Yellen}) = g \ p_{\text{vocab}}(\text{Yellen}) + (1 - g) \ p_{\text{ptr}}(\text{Yellen})$ 

 Pointer Sentinel Mixture Models by Stephen Merity, Caiming Xiong, James Bradbury, Richard Socher

#### **Pointer-Sentinel Model - Details**



 $p(y_i|x_i) = g \ p_{\text{vocab}}(y_i|x_i) + (1-g) \ p_{\text{ptr}}(y_i|x_i)$ 

$$egin{aligned} &z_i = q^T h_i, \qquad p_{ ext{ptr}}(w) = \sum_{i \in I(w,x)} a_i, \ &a = ext{softmax}(z), \end{aligned}$$

#### **Pointer Sentinel for Language Modeling**

Model	Parameters	Validation	Test
Mikolov & Zweig (2012) - KN-5	2M <sup>‡</sup>	_	141.2
Mikolov & Zweig (2012) - KN5 + cache	$2\mathbf{M}^{\ddagger}$	_	125.7
Mikolov & Zweig (2012) - RNN	6M <sup>‡</sup>	—	124.7
Mikolov & Zweig (2012) - RNN-LDA	7M <sup>‡</sup>	—	113.7
Mikolov & Zweig (2012) - RNN-LDA + KN-5 + cache	9M <sup>‡</sup>	—	92.0
Pascanu et al. (2013a) - Deep RNN	6M	—	107.5
Cheng et al. (2014) - Sum-Prod Net	5M‡	—	100.0
Zaremba et al. (2014) - LSTM (medium)	20M	86.2	82.7
Zaremba et al. (2014) - LSTM (large)	66M	82.2	78.4
Gal (2015) - Variational LSTM (medium, untied)	20M	$81.9\pm0.2$	$79.7\pm0.1$
Gal (2015) - Variational LSTM (medium, untied, MC)	20M	_	$78.6\pm0.1$
Gal (2015) - Variational LSTM (large, untied)	66M	$77.9\pm0.3$	$75.2\pm0.2$
Gal (2015) - Variational LSTM (large, untied, MC)	66M	_	$73.4\pm0.0$
Kim et al. (2016) - CharCNN	19M	_	78.9
Zilly et al. (2016) - Variational RHN	32M	72.8	71.3
Zoneout + Variational LSTM (medium)	20M	84.4	80.6
Pointer Sentinel-LSTM (medium)	21M	72.4	<b>70.9</b>

#### **Summary**

- Recurrent Neural Networks are powerful
- A lot of ongoing work right now
- Gated Recurrent Units even better
- LSTMs maybe even better (jury still out)
- This was an advanced lecture → gain intuition, encourage exploration

• Next up: Midterm review

# Another recent

# improvement to "RNNs"

#### **RNNs are Slow**

- RNNs are the basic building block for deepNLP
- Idea: Take the best and parallelizable parts of RNNs and CNNs
- Quasi-Recurrent Neural Networks by James Bradbury, Stephen Merity, Caiming Xiong & Richard Socher

#### **Quasi-Recurrent Neural Network**



• Parallelism computation across time:

$$\begin{aligned} \mathbf{z}_t &= \tanh(\mathbf{W}_z^1 \mathbf{x}_{t-1} + \mathbf{W}_z^2 \mathbf{x}_t) & \mathbf{Z} &= \tanh(\mathbf{W}_z * \mathbf{X}) \\ \mathbf{f}_t &= \sigma(\mathbf{W}_f^1 \mathbf{x}_{t-1} + \mathbf{W}_f^2 \mathbf{x}_t) & \mathbf{F} &= \sigma(\mathbf{W}_f * \mathbf{X}) \\ \mathbf{o}_t &= \sigma(\mathbf{W}_o^1 \mathbf{x}_{t-1} + \mathbf{W}_o^2 \mathbf{x}_t). & \mathbf{O} &= \sigma(\mathbf{W}_o * \mathbf{X}), \end{aligned}$$

• Element-wise gated recurrence for parallelism across channels:

$$\mathbf{h}_t = \mathbf{f}_t \odot \mathbf{h}_{t-1} + (1 - \mathbf{f}_t) \odot \mathbf{z}_t,$$

## **Q-RNNs for Language Modeling**

Better	Model	Parameters	Validation	Test
	LSTM (medium) (Zaremba et al., 2014)	20M	86.2	82.7
	Variational LSTM (medium) (Gal & Ghahramani, 2016)	20M	81.9	79.7
	LSTM with CharCNN embeddings (Kim et al., 2016)	19M	_	78.9
	Zoneout + Variational LSTM (medium) (Merity et al., 2016)	20M	84.4	80.6
	Our models			
	LSTM (medium)	20M	85.7	82.0
	QRNN (medium)	18M	82.9	79.9
	QRNN + zoneout ( $p = 0.1$ ) (medium)	18M	82.1	78.3





		Sequence length				
		32	64	128	256	512
	8	5.5x	8.8x	<b>11.0</b> x	<b>12.4</b> x	<b>16.9</b> x
Batch size	16	5.5x	<b>6.7</b> x	<b>7.8</b> x	<b>8.3</b> x	<b>10.8</b> x
	32	<b>4.2</b> x	<b>4.5</b> x	<b>4.9</b> x	<b>4.9</b> x	<b>6.4</b> x
	64	<b>3.0</b> x	<b>3.0</b> x	<b>3.0</b> x	<b>3.0</b> x	<b>3.7</b> x
	128	2.1x	<b>1.9</b> x	<b>2.0</b> x	<b>2.0</b> x	<b>2.4</b> x
	256	1.4x	1.4x	1.3x	1.3x	1.3x

# **Q-RNNs for Sentiment Analysis**

• Often better and faster than LSTMs

- More interpretable
- Example:
- Initial positive review



Time / Epoch (s)

Test Acc (%)

91.2



 Review starts out positive At 117: "not exactly a bad story" At 158: "I recommend this movie to everyone, even if you've never played the game"

Model

BSVM-bi (Wang & Manning, 2012)